DOT POINT

NSW PHYSICS MODULES 5 TO 8



Science Press

© Science Press 2018 First published 2018

Science Press Private Bag 7023 Marrickville NSW 1475 Australia Tel: +61 2 9516 1122 Fax: +61 2 9550 1915 sales@sciencepress.com.au www.sciencepress.com.au All rights reserved. No part of this publication may be reproduced, stored in a retrieval system, or transmitted in any form or by any means, electronic, mechanical, photocopying, recording or otherwise, without the prior permission of Science Press. ABN 98 000 073 861

Contents

Words to Watch	iv
Introduction	V
Dot Points	
Module 5 Advanced Mechanics	Vİ
Module 6 Electromagnetism	viii
Module 7 The Nature Of Light	×
Module 8 From the Universe To the Atom	xii
Questions	
Module 5 Advanced Mechanics	1
Module 6 Electromagnetism	65
Module 7 The Nature Of Light	149
Module 8 From the Universe To the Atom	241
Answers	
Module 5 Advanced Mechanics	364
Module 6 Electromagnetism	376
Module 7 The Nature Of Light	391
Module 8 From the Universe To the Atom	410
Appendix	
Data Sheet	435
Formula Sheet	436
Periodic Table	437
Index	438

Words to Watch

account, account for State reasons for, report on, give an account of, narrate a series of events or transactions.

analyse Interpret data to reach conclusions.

annotate Add brief notes to a diagram or graph.

apply Put to use in a particular situation.

assess Make a judgement about the value of something.

calculate Find a numerical answer.

clarify Make clear or plain.

classify Arrange into classes, groups or categories.

comment Give a judgement based on a given statement or result of a calculation.

compare Estimate, measure or note how things are similar or different.

construct Represent or develop in graphical form.

contrast Show how things are different or opposite.

create Originate or bring into existence.

deduce Reach a conclusion from given information.

define Give the precise meaning of a word, phrase or physical quantity.

demonstrate Show by example.

derive Manipulate a mathematical relationship(s) to give a new equation or relationship.

describe Give a detailed account.

design Produce a plan, simulation or model.

determine Find the only possible answer.

discuss Talk or write about a topic, taking into account different issues or ideas.

distinguish Give differences between two or more different items.

draw Represent by means of pencil lines.

estimate Find an approximate value for an unknown quantity.

evaluate Assess the implications and limitations.

examine Inquire into.

explain Make something clear or easy to understand.

extract Choose relevant and/or appropriate details.

extrapolate Infer from what is known.

hypothesise Suggest an explanation for a group of facts or phenomena.

identify Recognise and name.

interpret Draw meaning from.

investigate Plan, inquire into and draw conclusions about.

justify Support an argument or conclusion.

label Add labels to a diagram.

list Give a sequence of names or other brief answers.

measure Find a value for a quantity.

outline Give a brief account or summary.

plan Use strategies to develop a series of steps or processes.

predict Give an expected result.

propose Put forward a plan or suggestion for consideration or action.

recall Present remembered ideas, facts or experiences.

relate Tell or report about happenings, events or circumstances.

represent Use words, images or symbols to convey meaning.

select Choose in preference to another or others.

sequence Arrange in order.

show Give the steps in a calculation or derivation.

sketch Make a quick, rough drawing of something.

solve Work out the answer to a problem.

state Give a specific name, value or other brief answer.

suggest Put forward an idea for consideration.

summarise Give a brief statement of the main points.

synthesise Combine various elements to make a whole.

Introduction

What the book includes

This book provides questions and answers for each dot point in the NSW Physics Stage 6 Syllabus for each module in the Year 12 Physics course:

- Module 5 Advanced Mechanics
- Module 6 Electromagnetism
- Module 7 The Nature Of Light
- Module 8 From the Universe To the Atom

Format of the book

The book has been formatted in the following way:

1.1 Subtopic from syllabus.

- 1.1.1 Assessment statement from syllabus.
- **1.1.1.1** First question for this assessment statement.
- **1.1.1.2** Second question for this assessment statement.

The number of lines provided for each answer gives an indication of how many marks the question might be worth in an examination. As a rough rule, every two lines of answer might be worth 1 mark.

How to use the book

Completing all questions will provide you with a summary of all the work you need to know from the syllabus. You may have done work in addition to this with your teacher as extension work. Obviously this is not covered, but you may need to know this additional work for your school exams.

When working through the questions, write the answers you have to look up in a different colour to those you know without having to research the work. This will provide you with a quick reference for work needing further revision.

Projectile Motion

INQUIRY QUESTION

How can models that are used to explain projectile motion be used to analyse and make predictions?

5.1	Analyse the motion of projectiles by resolving the motion into horizontal and vertical components, making the following assumptions: a constant vertical acceleration due to gravity and zero air resistance.	3
5.1.1	Resolution of vectors – Revision.	3
5.1.2	Analysing projectile motion 1.	4
5.1.3	Analysing projectile motion 2.	5
5.1.4	Analysing projectile motion 3.	6
5.2	Apply the modelling of projectile motion to quantitatively derive the relationships between the following variables: initial velocity, launch angle, maximum height, time of flight, final velocity, launch height and horizontal range.	7
5.2.1	Projectile motion 1.	7
5.2.2	Projectile motion 2.	9
5.3	Solve problems, create models and make quantitative predictions by applying the equations of motion relationships for uniformly accelerated and constant rectilinear motion.	11
5.3.1	Solving projectile problems.	11
5.4	Conduct a practical investigation to collect primary data in order to validate the relationships derived for projectile motion.	13
5.4.1	Analysing projectile data.	13

Motion In Gravitational Fields

INQUIRY QUESTION

How does the force of gravity determine the motion of planets and satellites?

Apply qualitatively and quantitatively Newton's law of universal gravitation to determine the force of gravity between two objects: $F = -\frac{GMm}{r^2}$.	15
Mass and weight.	15
Gravitational force 1.	18
Gravitational force 2.	20
Gravitational force 3.	22
Apply qualitatively and quantitatively Newton's law of universal gravitation to investigate the factors that affect the gravitational field strength: $g = \frac{GM}{r^2}$.	23
Falling objects – Analysing an experiment.	23
Apply qualitatively and quantitatively Newton's law of universal gravitation to predict the gravitational field strength at any point in a gravitational field, including at the surface of a planet.	25
Gravitational field.	25
Investigate the orbital motion of planets and artificial satellites when applying the relationships between the following quantities: gravitational force, centripetal for centripetal acceleration, mass, orbital radius orbital velocity and orbital period.	
Orbital velocity.	28
Predict quantitatively the orbital properties of planets and satellites in a variety of situations, including near the Earth and geostationary orbits, and relate these to their uses.	30
Types of orbits.	30
	Newton's law of universal gravitation to determine the force of gravity between two objects: $F = -\frac{GMm}{r^2}$. Mass and weight. Gravitational force 1. Gravitational force 2. Gravitational force 3. Apply qualitatively and quantitatively Newton's law of universal gravitation to investigate the factors that affect the gravitational field strength: $g = \frac{GM}{r^2}$. Falling objects – Analysing an experiment. Apply qualitatively and quantitatively Newton's law of universal gravitation to predict the gravitational field strength at any point in a gravitational field strength at any point in a gravitational field, including at the surface of a planet. Gravitational field. Investigate the orbital motion of planets and artificial satellites when applying the relationships between the following quantities: gravitational force, centripetal for centripetal acceleration, mass, orbital radius orbital velocity and orbital period. Orbital velocity. Predict quantitatively the orbital properties of planets and satellites in a variety of situations, including near the Earth and geostationary orbits, and relate these to their uses.

Dot Point		age Dot Point		int	Page	
5.10	Derive quantitatively and apply the concepts of gravitational force and gravitational potential energy in radial gravitational fields	33	Circu	lar Motion		
	to the concept of escape velocity: $v_{\text{esc}} = \sqrt{\frac{2GI}{r}}$	<u>и</u> .				
5.10.1	Escape velocity 1.	33		RY QUESTION		
5.10.2	Escape velocity 2.	35	Why do	objects move in circles?		
5.11	Derive quantitatively and apply the concepts concepts of gravitational force and gravitational potential energy in radial gravitational fields to total potential energy	37	5.16	Conduct investigations to explain and evaluate, for objects executing uniform circular motion, the relationships that exist between centripetal force, mass,	50	
	of a planet or satellite in its orbit: $U = -\frac{GMm}{m}$			speed and radius of turn.		
5.11.1	Gravitational potential energy 1.	37	5.16.1	Uniform circular motion.	50	
5.11.2	Gravitational potential energy 2.	38	5.17	Analyse the forces acting on an object	52	
5.12	Derive quantitatively and apply the concepts concepts of gravitational force and	40	0	executing uniform circular motion for cars moving around horizontal circular bends.		
	gravitational potential energy in radial gravitational fields to total energy of		5.17.1	Forces in circular motion.	52	
F 10 1	a planet or satellite in its orbit: $E = -\frac{GMm}{2r}$.	40	5.18	Analyse the forces acting on an object executing uniform circular motion for a mass on a string.	55	
5.12.1	Total energy of an orbiting object.	40	5.18.1	Circular motion on a string.	55	
5.13	Derive quantitatively and apply the concepts of gravitational force and gravitational potential energy in radial gravitational fields to energy changes that occur when satellites move between orbits.	43	5.19	Analyse the forces acting on an object executing uniform circular motion for objects on banked track.	57	
5.13.1	Changes in gravitational potential energy.	43	5.19.1	Circular motion on a banked track.	57	
5.14	Derive quantitatively and apply the concepts of gravitational force and gravitational potential energy in radial gravitational fields to Kepler's laws of planetary motion.	46	5.20	Solve problems, model and make quantitative predictions about objects executing uniform circular motion in a variety of situations, using the relationship $a = \frac{V^2}{2}$ and $\Sigma = \frac{mV^2}{2}$ and $\Delta = \frac{\Delta \theta}{2}$	59 s:	
5.14.1	Deriving Kepler's third law.	46		$a = \frac{v^2}{r}$ and $\Sigma F = \frac{mv^2}{r}$ and $\omega = \frac{\Delta \theta}{t}$.		
5.15	Investigate the relationship of Kepler's	48	5.20.1	Solving circular motion problems.	59	
	laws of planetary motion to the forces acting on, and the total energy of, planets in circular and non-circular orbits using:		5.21	Investigate the relationship between the total energy and work done on an object executing uniform circular motion.	62	
	$v_{o} = \frac{2\pi r}{T}$ and $\frac{r^{3}}{T^{2}} = \frac{GM}{4\pi^{2}}$.		5.21.1	Total energy of a satellite and work done.	62	
5.15.1	Applying Kepler's third law.	48	5.22	Investigate the relationship between the rotation of mechanical systems and the applied torque: $\tau = rF_{\perp} = rF \sin \theta$.	64	
			5.22.1	Rotational torque.	64	
			Answers	s to Advanced Mechanics	364	

Module 6 Electromagnetism

Dot Point		age	Dot Poi	nt	Page
Charged Particles, Conductors and Elec and Magnetic Fields		ric	6.7	Compare the interaction of charged particles moving in magnetic fields to the interaction of charged particles with electric fields.	86
INQUIR	Y QUESTION		6.7.1	Comparing charges in electric and magnetic fields.	86
	opens to stationary and moving charged partic by interact with an electric or magnetic field?	eles	6.8	Compare the interaction of charged particles moving in magnetic fields to other examples of uniform circular motion.	88
6.1	Investigate and quantitatively derive and analyse the interaction between charged particles and uniform electric fields, including the electric field between parallel	67	6.8.1	Other examples of uniform circular motion	. 88
	charged plates: $E = -\frac{V}{d}$.		The M	otor Effect	
6.1.1	Electric field between parallel plates.	67			
6.2	Investigate and quantitatively derive and analyse the interaction between charged particles and uniform electric fields, including acceleration of charged particles by the electric field: $F = ma$, $F = qE$.	72	Under wh current c	nat circumstances is a force produced on a arrying conductor in a magnetic field?	-
6.2.1	Interaction between charged particles and uniform electric fields.	72	6.9	Investigate qualitatively and quantitatively the interaction between a current carrying conductor and a uniform magnetic field	89
6.3	Investigate and quantitatively derive and analyse the interaction between charged particles and uniform electric fields, including the work done on the charge: $W = qV$, $W = qEd$, $K = \frac{1}{2}mv^2$.	74		(F = BIL sin θ) to establish conditions under which the maximum force is produced, the relationship between the directions of the force, magnetic field strength and current, and conditions under which no force is produced on the conductor.	
6.3.1	Work done by electric fields.	74	6.9.1	The motor effect 1.	89
6.4	Model qualitatively and quantitatively the	79	6.9.2	The motor effect 2.	90
	trajectories of charged particles in electric fields and compare them with the trajectories	S	6.9.3	Forces on straight conductors in magnetic fields 1.	92
6.4.1	of projectiles in a gravitational field. Shapes of trajectories.	79	6.9.4	Forces on straight conductors in magnetic fields 2.	96
6.5	Analyse the interaction between charged particles and uniform magnetic fields, including the acceleration, perpendicular	80	6.10	Conduct a quantitative investigation to demonstrate the interaction between two parallel current carrying wires.	98
	to the field, of charged particles.		6.10.1	Forces between parallel conductors 1.	98
6.5.1 6.5.2	Moving charges in a magnetic field 1. Moving charges in a magnetic field 2.	80 82	6.11	Analyse the interaction between two paral current carrying wires $\left(\frac{F}{L} = \frac{\mu_0}{2\pi} \times \frac{I_1 I_2}{r}\right)$	el 99
6.6	Analyse the interaction between charged particles and uniform magnetic fields, including the force on the charge: $F = qvB \sin \theta$.	83		and determine the relationship between the International System of Units (SI) definition of an ampere and Newton's third law of motion.	
6.6.1	Moving charges in a magnetic field 3.	83	6.11.1	Forces between parallel conductors 2.	99

Electromagnetic Induction

INQUIRY QUESTION

How are electric and magnetic fields related?

6.12	Describe how magnetic flux can change, with reference to the relationship $\Phi = BA$.	103
6.12.1	Magnetic flux and flux density.	103
6.13	Analyse qualitatively and quantitatively, with reference to energy transfers and transformations, examples of Faraday's law and Lenz's law $\left(\varepsilon=-\frac{\Delta \boldsymbol{\Phi}}{\Delta t}\right)$, including but not	108
	limited to the generation of an electromotive force (emf) and evidence for Lenz's law produced by the relative movement betweer a magnet, straight conductors, metal plates and solenoids or changes in current in one solenoid in the vicinity of another solenoid.	
6.13.1	Faraday and induction.	108
6.13.2	Lenz's law and straight conductors.	112
6.13.3	Lenz's law and coils.	114
6.14	Analyse quantitatively the operation of ideal transformers through the application of $\frac{V_p}{V_o} = \frac{N_p}{N_o}$ and $V_p I_p = V_s I_s$.	119
6.14.1	Transformers.	119
0.14.1	Transformers.	119
6.15	Evaluate qualitatively the limitations of the ideal transformer model and the strategies used to improve transformer efficiency, including but not limited to incomplete flux linkage and resistive heat production and eddy currents.	125
6.15.1	Transformers and electricity transmission.	125
6.16	Analyse applications of step-up and step-down transformers, including but not limited to the distribution of energy using high voltage transmission lines.	128
6161	Applications and impacts of transformers	128

Applications Of the Motor Effect

INQUIRY QUESTION

How has knowledge about the motor effect been applied to technological advances?

6.17	Investigate the operation of a simple DC motor to analyse the functions of its components, the production of a torque $(\tau = nBA \cos \theta)$ and the effects of back emf.	129	
6.17.1	Torque on a coil 1.	129	
6.17.2	Torque on a coil 2.	131	
6.17.3	Simple DC motors.	133	
6.17.4	Back emf in motors.	134	
6.18	Analyse the operation of simple DC and AC generators and AC induction motors.	137	
6.18.1	Simple AC motors.	137	
6.18.2	DC generators.	139	
6.18.3	AC generators.	142	
6.18.4	Comparing DC and AC generators.	144	
6.18.5	AC induction motors.	145	
6.19	Relate Lenz's law to the law of conservation of energy and apply the law of conservation of energy to DC motors and magnetic braking.	147	
6.19.1	Lenz's law and the conservation of energy.	147	
Answers to Electromagnetism 3			

Electromagnetic Spectrum

INQUIRY QUESTION

What is light?

7.1	Investigate Maxwell's contribution to the classical theory of electromagnetism, including unification of electricity and magnets, prediction of electromagnetic waves and prediction of velocity.	151
7.1.1	James Clerk Maxwell (1831-1879).	151
7.2	Describe the production and propagation of electromagnetic waves and relate these processes qualitatively to the predictions made by Maxwell's electromagnetic theory.	152
7.2.1	Transverse electromagnetic waves.	152
7.2.2	Properties of electromagnetic waves.	154
7.3	Conduct investigations of historical and contemporary methods used to determine the speed of light and its current relationship to the measurement of time and distance.	157)
7.3.1	Historical measurements of the speed of light.	157
7.4	Conduct an investigation to examine a variety of spectra produced by discharge tubes, reflected sunlight or incandescent filaments.	158
7.4.1	Comparing spectra from lighting sources.	158
7.5	Investigate how spectroscopy can be used to provide information about the identification of elements.	160
7.5.1	Using spectroscopy to identify elements.	160
7.6	Investigate how the spectra of stars can provide information on their surface temperature, rotational and translational velocity, density, and chemical composition.	165
761	Spectra of stars and their properties	165

INQUIRY QUESTION

Light: Wave Model

What evidence supports the classical wave model of light and what predictions can be made using this model?

7.7	Conduct investigations to analyse qualitatively the diffraction of light.	168
7.7.1	Diffraction.	168
7.8	Conduct investigations to analyse quantitatively the interference of light using double slit apparatus and diffraction gratings: $d \sin \theta = m\lambda$.	170
7.8.1	Young's double slit experiment.	170
7.8.2	Diffraction supporting the wave model.	173
7.8.3	Diffraction gratings.	175
7.9	Analyse the experimental evidence that supported the models of light that were proposed by Newton and Huygens.	177
7.9.1	Evidence supporting Newton's model of light.	177
7.9.2	Evidence supporting Huygens' model of light.	178
7.9.3	The electromagnetic wave theory of light.	179
7.9.4	The quantum theory of light.	180
7.10	Conduct investigations quantitatively using the relationship of Malus' law: $I = I_{\rm max} \cos^2 \theta$ for plane polarisation of light, to evaluate the significance of polarisation in developing a model for light.	181
7.10.1	Polarisation.	181
7.10.2	Types of polarisation.	183
7.10.3	Malus' law.	184

Dot Poi	nt i	Page	Dot Poi	nt	Page
Light:	Quantum Model		7.15	Investigate the evidence, from Einstein's thought experiments and subsequent experimental validation,	213
What evi	Y QUESTION dence supports the particle model of light tare the implications of this evidence for the ment of the quantum model of light?			for time dilation: $t = \frac{t_o}{\sqrt{\left(1 - \frac{v^2}{c^2}\right)}}$ and length contraction: $L = L_o \sqrt{\left(1 - \frac{v^2}{c^2}\right)}$.	
7.11	Analyse the experimental evidence gathered about black body radiation, including Wien's law: $\lambda_{\text{max}} = \frac{b}{T}$ related to Planck's contribution	;	7.15.1 7.15.2 7.15.3 7.15.4	Einstein's first thought experiment. Einstein's second thought experiment. t_v or not t_v ? That is the question! Time dilation 1.	213 214 217 219
7.11.1	to a changed model of light. Max Planck – The beginning of quantum theory.	186	7.15.5 7.15.6 7.15.7	Time dilation 2. Length contraction 1. Length contraction 2.	222 223 225
7.11.2	Wien's displacement law.	189	7.15.8	Combined relativity questions.	227
7.12	Investigate the evidence from photoelectric effect investigations that demonstrated inconsistency with the wave model for light		7.16	Analyse experimental validation for special relativity, for example observations of cosmic-origin muons at the Earth's	231
7.12.1 7.12.2 7.12.3	Albert Einstein and the photoelectric effect. Quantum theory and the photoelectric effect. Analysing experimental data 1.	191 193 195		surface, atomic clocks (Hafele-Keating experiment), evidence from particle accelerators and evidence from cosmological studies.	
7.12.4	Analysing experimental data 2.	197	7.16.1	Validation of special relativity.	231
7.12.5	Analysing experimental data 3.	198	7.16.2	Muons and special relativity.	232
7.12.6 7.13	Limits of the wave model. Analyse the photoelectric effect: $E_k = hf - \Phi$ as it occurs in metallic elements by applying the law of conservation of energy and the photon model of light.	202	7.17	Describe the consequences and applications of relativistic momentum with reference to $p_v = \frac{mv}{\sqrt{\left(1 - \frac{v^2}{c^2}\right)}}$ and the	234
7.13.1	Solving problems on the photoelectric effect 1.	203		limitation on the maximum velocity of a particle imposed by special relativity.	
7.13.2	Solving problems on the photoelectric	204	7.17.1	Relativistic mass 1.	234
	effect 2.		7.17.2	Relativistic mass 2.	236
7.13.3	Incident intensity and photoemission.	206	7.17.3	Relativistic momentum.	237
INQUIR How doe	and Special Relativity Y QUESTION es the behaviour of light affect concepts of tire and matter?	ne,	7.18	Use Einstein's mass-energy equivalence relationship: $E = mc^2$ to calculate the energy released by processes in which mass is converted to energy, including production of energy by the Sun, particleantiparticle interactions, e.g. positron-electron annihilation and combustion of conventional fuel.	239
•			7.18.1	Mass-energy equivalence.	239
7.14	Analyse and evaluate the evidence confirming or denying Einstein's two postulates: the speed of light in a vacuum is an absolute constant and all inertial frames of reference are equivalent.	208	Answers	s to The Nature Of Light	391
7.14.1	Frames of reference.	208			
7.14.2	Einstein's postulates.	211			
science Pres	s				

Origins Of the Elements

INQUIRY QUESTION

What evidence is there for the origins of the elements?

8.1	Investigate the processes that led to the transformation of radiation into matter that followed the 'Big Bang'.	243
8.1.1	The Big Bang theory.	243
8.1.2	The changing Universe over time.	247
8.1.3	Evidence for the Big Bang.	249
8.2	Investigate the evidence that led to the discovery of the expansion of the Universe by Hubble.	251
8.2.1	Ideas leading to the Big Bang theory.	251
8.3	Analyse and apply Einstein's description of the equivalence of energy and mass and relate this to the nuclear reactions that occur in stars.	254
8.3.1	The mass-energy equivalence.	254
8.3.2	Energy from the Sun.	257
8.4	Account for the production of emission and absorption spectra and compare these with a continuous black body spectrum.	259
8.4.1	Atomic spectra.	259
8.5	Investigate the key features of stellar spectra and describe how these are used to classify stars.	261
8.5.1	Black body radiation and star colours.	261
8.5.2	Wien's displacement law.	262
8.6	Investigate the Hertzsprung-Russell diagram and how it can be used to determine the following about a star: its characteristics and evolutionary stage, its surface temperature, its colour and its luminosity.	265
8.6.1	The Hertzsprung-Russell diagram.	265
8.6.2	Types of stars.	266
8.6.3	The evolution of stars.	267
8.7	Investigate the types of nucleosynthesis reactions involved in main sequence and post main sequence stars, including the proton-proton chain and the CNO (carbon-nitrogen-oxygen) cycle.	269
8.7.1	The proton-proton chain.	269
8.7.2	The CNO cycle.	272

Structure Of the Atom

INQUIRY QUESTION

How is it known that atoms are made up of protons, neutrons and electrons?

8.8	Investigate, assess and model the experimental evidence supporting the existence and properties of the electron, from early experiments examining the nature of cathode rays.	274
8.8.1	Cathode rays and discharge tubes 1.	274
8.8.2	Cathode rays and discharge tubes 2.	278
8.9	Investigate, assess and model the experimental evidence supporting the existence and properties of the electron, from Thomson's charge-to-mass experiment.	279
8.9.1	Thomson's experiment.	279
8.10	Investigate, assess and model the experimental evidence supporting the existence and properties of the electron, from Millikan's oil drop experiment.	283
8.10.1	Millikan's oil drop experiment.	283
8.11	Investigate, assess and model the experimental evidence supporting the nuclear model of the atom from the Geiger-Marsden experiment.	284
8.11.1	The Geiger-Marsden experiment.	284
8.12	Investigate, assess and model the experimental evidence supporting the nuclear model of the atom from Rutherford's atomic model.	285
8.12.1	Rutherford's model of the atom.	285
8.13	Assess the limitations of the Rutherford atomic model.	287
8.13.1	Limitations of the Rutherford model of the atom.	287
8.14	Investigate, assess and model the experimental evidence supporting the nuclear model of the atom from Chadwick's discovery of the neutron.	288
8.14.1	The discovery of the neutron.	288

Science Press

Dot Point		Page	Dot Poi	int	Page
Quantum Mechanical Nature Of the Ato		n	8.21	Analyse relationships that represent conservation of mass-energy in alpha and beta decay.	314
			8.21.1	Alpha, beta and gamma decay.	314
How is it	Y QUESTION known that classical physics cannot explaines of the atom?	the	8.22	Examine the model of half-life in radioactive decay and make quantitative predictions about the activity or amount of a radioactive sample using the	317
8.15	Investigate the line emission spectra to examine the Balmer series in hydrogen.	290		relationships: $N_t = N_0 e^{-\lambda t}$ and $\lambda = \frac{\ln (2)}{t_{1/2}}$	
8.15.1 8.16	The Bohr atom. Relate qualitatively and quantitatively the quantised energy levels of the hydrogen	290 292		where N_t = number of particles at time t , N_o = number of particles present at t = 0, λ = decay constant, t_{y_2} = time for half the radioactive amount to decay.	
	atom and the law of conservation of energy	/	8.22.1	The half-life of nuclides.	317
	to the line emission spectrum of hydrogen		8.22.2	Analysing a half-life experiment.	322
0.40.4	using $E = hf$, $E = \frac{hc}{\lambda}$, and $\frac{1}{\lambda} = R \left[\frac{1}{n_f^2} - \frac{1}{n_i^2} \right]$.	000	8.23	Model and explain controlled and uncontrolled chain reactions.	323
8.16.1 8.16.2	The atomic spectrum of hydrogen.	292 293	8.23.1	Fermi's model of a chain reaction.	323
8.17	Analysing spectra. Assess the limitations of the Bohr atomic model.	296	8.23.2	Controlled and uncontrolled chain reactions.	324
8.17.1	Limitations of the Bohr atom.	296	8.24	Predict quantitatively the energy released in nuclear decays or transmutations,	329
8.18	Investigate de Broglie's matter waves, and the experimental evidence that developed the formula $\lambda = \frac{h}{mv}$.	299		including nuclear fission and nuclear fusion, by applying the law of conservation of energy, mass defect, binding energy and Einstein's mass-energy equivalence	1
8.18.1	De Broglie's matter waves.	299		relationship: $E = mc^2$.	
8.18.2	Applying de Broglie's ideas.	300	8.24.1	Binding energy.	329
8.19	Analyse the contribution of Schrödinger	303	8.24.2 8.24.3	Nuclear reactions and mass defect 1. Nuclear reactions and mass defect 2.	332 335
0.10	to the current model of the atom.	000	8.24.4	Nuclear reactions and mass defect 2.	336
8.19.1	Schrödinger and Heisenberg.	303	8.25	Model and explain the processes of nuclear fission and nuclear fusion,	338
Prope	rties Of the Nucleus			including the concepts of controlled and uncontrolled chain reactions, and account for the release of energy in the process.	
			8.25.1	Nuclear fission and fusion.	338
INQUIR	Y QUESTION		8.25.2	Neutron induced fission.	340
How can	the energy of the atomic nucleus be harness	sed?	8.25.3	The uranium decay series.	342
8.20	Analyse the spontaneous decay of unstable nuclei, and the properties of the alpha, beta and gamma radiation emitted.	304	8.26	Analyse relationships that represent conservation of mass-energy in spontaneous and artificial nuclear transmutations, including alpha	344
8.20.1	The strong nuclear force 1.	304		decay, beta decay, nuclear fission and nuclear fusion.	
8.20.2	The strong nuclear force 2.	306	8.26.1	Spontaneous and artificial transformations.	344
8.20.3	Nuclear decay.	306	8.26.2	Nuclear reactors.	345
8.20.4	Why some nuclei decay.	309	0.20.2	radioar roadiois.	0-10
8.20.5	Properties of alpha, beta and gamma rays.	311			

Module 8 From The Universe To The Atom

Dot Point Page

Deep Inside the Atom

INQUIRY QUESTION

How is it known that human understanding of matter is still incomplete?

8.27	Analyse the evidence that suggests that protons and neutrons are not fundamental particles, and the existence of subatomic particles other than protons, neutrons and electrons.	348			
8.27.1	The standard model.	348			
8.28	Investigate the standard model of matter, including quarks, and the quark composition hadrons, leptons and the fundamental forces.	349			
8.28.1	Components of the standard model.	349			
8.28.2	More about quarks.	350			
8.28.3	More about leptons.	352			
8.28.4	The four fundamental forces.	353			
8.28.5	More about bosons.	354			
8.28.6	Summarising the standard model.	355			
8.29	Investigate the operation and role of particle accelerators in obtaining evidence that tests and/or validates aspects of theories, including the standard model of matter.	356			
8.29.1	Uncovering matter particles.	356			
8.29.2	Nuclear accelerators.	358			
8.29.3	The Higgs boson. (Not required by the syllabus)	362			
Answers	Answers to From the Universe To the Atom 410				

Science Press

MODULE 5

Advanced Mechanics



In this module you will:

- Describe and analyse qualitatively and quantitatively circular motion and motion in a gravitational field, in particular, the projectile motion of particles.
- Explain and analyse motion in one dimension at constant velocity or constant acceleration.
- Extend your study of motion into examples involving two or three dimensions that cause the net force to vary in size or direction.
- Develop an understanding that all forms of complex motion can be explained by analysing the forces acting on a system, including the energy transformations taking place within and around the system.
- Apply new mathematical techniques to model and predict the motion of objects within systems. You will examine two-dimensional motion, including projectile motion and uniform circular motion, along with the orbital motion of planets and satellites, which are modelled as an approximation to uniform circular motion.
- Engage with all the Working Scientifically skills for practical investigations involving the focus content to examine trends in data and to solve problems related to advanced mechanics.



Projectile Motion

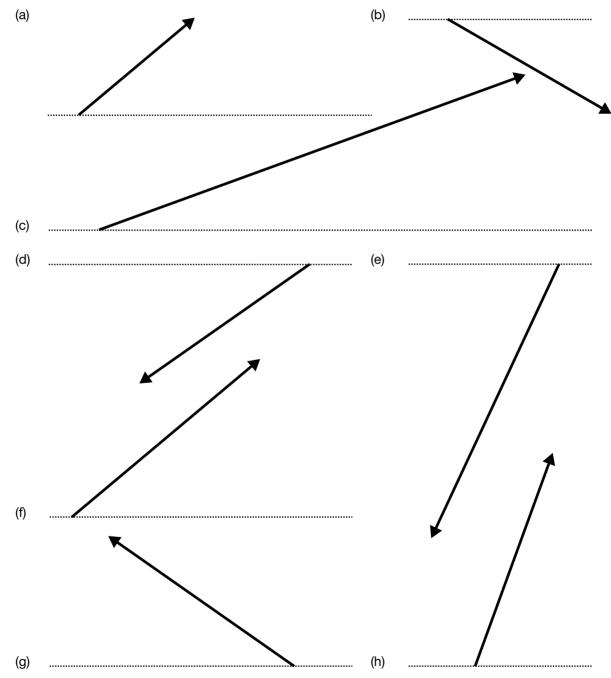
5.1 Analyse the motion of projectiles by resolving the motion into horizontal and vertical components, making the following assumptions: a constant vertical acceleration due to gravity and zero air resistance.

INQUIRY QUESTION

How can models that are used to explain projectile motion be used to analyse and make predictions?

5.1.1 Resolution of vectors – Revision.

5.1.1.1 Find the horizontal and vertical components of each of the following vectors. All vectors are drawn to a scale where 1 cm = 10 m.



5.1.2 Analysing projectile motion 1.

Use the following information to answer the next TEN questions.

Some students rolled a ball down a ramp from different heights and then let it roll across a frictionless benchtop for a distance of 1.0 m. They launched the ball from the end of the bench which was 1.2 m above the floor and the horizontal range of each ball was measured. The table shows their average results.

Projectile	Height up the ramp (m)	Time to roll 1.0 metre (s)	Time of flight (s)	Launch velocity (m s ⁻¹)	Range (m)
Р	0.30	086	W		
Q	0.45	0.72		X	
R	0.60	0.61			Y
S	0.90	0.45	Z		

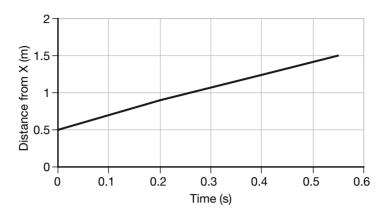
- **5.1.2.1** What is the independent variable?
 - (A) Horizontal range.
 - (B) Launch velocity.
 - (C) Time to roll over the bench.
 - (D) Time of flight.
- **5.1.2.2** Which statement about the time of flight for these projectiles is correct?
 - (A) Time for P will be the least.
 - (B) Time for Q will be the least.
 - (C) Time for S will be the least.
 - (D) They will all have the same time of flight.
- **5.1.2.3** What will be the launch speed for P?
 - (A) 0.72 m s^{-1}
 - (B) 0.86 m s^{-1}
 - (C) 1.16 m s^{-1}
 - (D) 1.40 m s^{-1}
- **5.1.2.4** What is the best value for W?
 - (A) 0.45 s
 - (B) 0.86 s
 - (C) 1.16 s
 - (D) 1.39 s
- **5.1.2.5** What is the best value for X?
 - (A) 0.60 m s^{-1}
 - (B) 0.74 m s^{-1}
 - (C) 1.39 m s^{-1}
 - (D) 2.70 m s^{-1}

- **5.1.2.6** What is the best value for Y?
 - (A) 0.74 m
 - (B) 0.88 m
 - (C) 1.64 m
 - (D) 2.36 m
- **5.1.2.7** What is the best value for Z?
 - (A) 0.45 s
 - (B) 0.50 s
 - (C) 0.86 s
 - (D) 2.22 s
- **5.1.2.8** What is the range of Z?
 - (A) 0.2 m
 - (B) 1.0 m
 - (C) 1.2 m
 - (D) 2.67 m
- **5.1.2.9** What is the best estimate for the speed of R at the bottom of the ramp?
 - (A) 0.98 m s^{-1}
 - (B) 1.02 m s^{-1}
 - (C) 1.64 m s^{-1}
 - (D) 1.96 m s^{-1}
- **5.1.2.10** The experiment is repeated with a ball with twice the mass. How is each range affected?
 - (A) Ranges will be quartered.
 - (B) Ranges will be halved.
 - (C) Ranges will be doubled.
 - (D) Ranges will be the same.

5.1.3 Analysing projectile motion 2.

Use the following information to answer the next FIVE questions.

A ball was rolled from X, 1.5 m across a horizontal table to the table's edge. The time and its distance from X as it rolled across the table were measured. The results are shown in the graph.



- **5.1.3.1** What was the ball's speed at the edge of the table?
 - (A) 0.54 m s^{-1}
 - (B) 1.50 m s^{-1}
 - (C) 1.82 m s^{-1}
 - (D) 2.78 m s^{-1}
- **5.1.3.2** If the ball landed 0.75 m out from the edge of the table, what was the time of flight?
 - (A) 2.47 s
 - (B) 1.0 s
 - (C) 0.8 s
 - (D) 0.4 s
- **5.1.3.3** If the ball landed 0.75 m out from the edge of the table, what was the height of the table?
 - (A) 0.4 m
 - (B) 0.5 m
 - (C) 0.6 m
 - (D) 0.8 m
- **5.1.3.4** The experiment was repeated on the Moon. How would the range of the projectile compare?
 - (A) It would be the same on Earth and the Moon.
 - (B) It would be larger on the Moon.
 - (C) It would be larger on Earth.
 - (D) It would still depend on the horizontal speed of the ball.
- **5.1.3.5** The experiment was repeated using a ball with half the mass of the original ball. Indicate, for each of the questions above, how the results would be different.
- (a) For 5.1.3.1
- (b) For 5.2.3.2
- (c) For 5.1.3.3
- (d) For 5.1.3.4

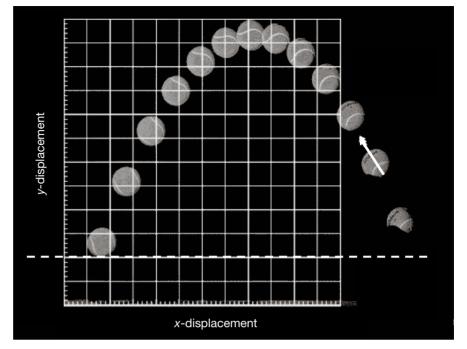
5.1.4 Analysing projectile motion 3.

Use the following information to answer the next SIX questions.

Students studying projectile motion fired a tennis ball into the air and photographed its flight using a stroboscopic camera which photographed the position of the ball every 0.1 s.

They did several runs of the experiment, launching the ball at different velocities to determine the maximum heights reached at each velocity.

In the photograph, the dotted horizontal line represents the surface of the benchtop. One set of their results are shown in the photograph.



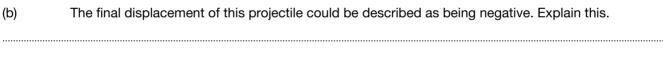
- **5.1.4.1** What was the time of flight of the ball?
 - (A) 0.1 s
 - (B) 1.1 s
 - (C) 1.2 s
 - (D) 1.3 s
- **5.1.4.2** What was the frequency of the stroboscope used to record these results?
 - (A) 0.1 Hz
 - (B) 1.2 Hz
 - (C) 1.3 Hz
 - (D) 10 Hz
- **5.1.4.3** Which choice correctly identifies the dependent and independent variables in this experiment?

	Dependent variable	Independent variable
(A)	Time to rise	Launch velocity
(B)	Time to rise	Time to rise
(C)	Maximum height	Launch velocity
(D)	Maximum height	Time to rise

- **5.1.4.4** What is the maximum height of the ball (measured from its bottom) above the benchtop?
 - (A) 1.76 m
 - (B) 3.53 m
 - (C) 9 m
 - (D) 10 m
- **5.1.4.5** What is the best estimate of the scale of the grid in the photograph?
 - (A) 1 grid square = 0.2 m
 - (B) 1 grid square = 0.4 m
 - (C) 1 grid square = 1.11 m
 - (D) 1 grid square = 1.12 m
- **5.1.4.6** What was the magnitude of the velocity of the tennis ball at its maximum height above the benchtop?
 - (A) 0
 - (B) 1.0 m s^{-1}
 - (C) 2.1 m s^{-1}
 - (D) 4.2 m s^{-1}

5.2 Apply the modelling of projectile motion to quantitatively derive the relationships between the following variables: initial velocity, launch angle, maximum height, time of flight, final velocity, launch height and horizontal range.

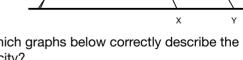
- **5.2.1.1** Outline the characteristics of the motion of a projectile.
- **5.2.1.2** A projectile is launched at 40 m s^{-1} at 75° to the horizontal. Calculate the components of its launch velocity.
- 5.2.1.3 List the three characteristics of projectile motion as cited by Galileo.
- **5.2.1.4** A tennis ball is hit into the air and follows the path shown in the diagram.
- (a) Which statement regarding the flight of the ball is correct?
 - (A) The velocity of the ball at its highest point is zero.
 - (B) The velocity of the ball is always changing.
 - (C) The direction of the ball's acceleration changes when it reaches the highest point.
 - (D) The acceleration of the ball at its highest point is zero.



5.2.1.5 The diagram shows the paths of the flights of two projectiles, X and Y.

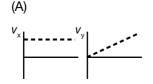
Which of the following is different for X and Y?

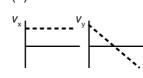
- (A) Their accelerations.
- (B) Their times of flight.
- (C) Their maximum y-displacements.
- (D) Their initial velocities.

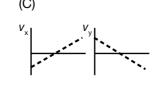


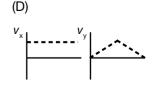
Ground

5.2.1.6 A cannonball is fired into the air towards a distant castle. Which graphs below correctly describe the horizontal and vertical components of the cannonball's velocity?



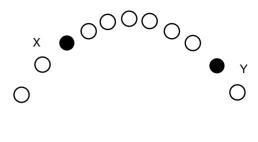






5.2.1.7 The diagram shows the path of a projectile. Which choice correctly shows the directions of the velocity and acceleration of the projectile at points X and Y?

	Velocity at X	Acceleration at X	Velocity at Y	Acceleration at Y
(A)	→	↓	→	↓
(B)	>	↑	>	1
(C)	>	↓	>	1
(D)	1	→	1	→



5.2.1.8

(a) A projectile is launched into the air at 60° to the horizontal. Which statement about the projectile is true when it is at its maximum height?

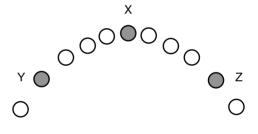
(A)
$$a_{x} = 0$$

(B)
$$a_{y} = 0$$

(C)
$$v_{y} = 0$$

(D)
$$\Delta x = 0$$

- (b) At what angle should a projectile be launched so that its range is maximum?
- **5.2.1.9** Consider three positions, X, Y and Z in the path of a projectile as shown by the darkened circles in the diagram.
- (a) Which statement about the acceleration of the projectile at these three positions is correct?
 - (A) The acceleration at Y is less than the acceleration at X.
 - (B) The acceleration at X is the same as the acceleration at Z.
 - (C) The acceleration at X is greater than the acceleration at Y.
 - (D) The acceleration at Y is in the opposite direction to the acceleration at Z.



- (b) Three projectiles are launched at 20°, 40° and 60° to the horizontal at 20, 30 and 40 m s⁻¹ (in that order). Calculate the ratio of their accelerations.
- **5.2.1.10** A ball is thrown upwards from point P and follows a parabolic path. Its highest point X. Which statement about the acceleration of the ball is correct?
 - (A) It is zero at X.

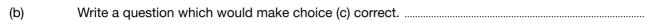
- (B) It is maximum at X.
- (C) It is maximum at P and minimum at X.
- (D) It is the same at X as it is at P.

5.2.1.11

- (a) Which of the following statements was not one of Galileo's descriptions of projectile motion?
 - (A) Horizontal motion is constant.
- (B) Horizontal acceleration is zero.
- (C) Vertical motion is accelerated.
- (D) Vertical acceleration is negative.
- (b) Explain the concept of positive and negative velocity in physics.

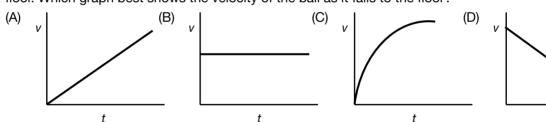
5.2.2 Projectile motion 2.

- **5.2.2.1** Consider the path of a projectile as shown in the diagram below.
- (a) Which statement about the projectile is correct?
 - (A) The speed at X is the same as the speed at Z.
 - (B) The speed at Y is zero.
 - (C) The velocity at X is equal to the velocity at Z but in the opposite direction.
 - (D) The velocity at X, Y and Z is constant.



5.2.2.2 Which of the following statements about projectile motion is correct?

- (A) The horizontal distance a projectile travels is proportional to the time of travel squared.
- (B) The rate at which a projectile rises and falls is proportional to its mass.
- (C) The square of the distance a projectile travels is proportional to the time of flight.
- (D) The rate at which a projectile rises and falls is independent of its velocity.
- **5.2.2.3** Which of the following statements is in agreement with Galileo's analysis of projectile motion?
 - (A) The rate at which a projectile falls is proportional to its mass.
 - (B) The range of the projectile is proportional to the time elapsed.
 - (C) The range of the projectile is proportional to its initial vertical speed.
 - (D) The speed of the projectile is the vector sum of the vertical and horizontal components of that speed.
- **5.2.2.4** A ball is rolled at different speeds along a horizontal benchtop until it falls over the edge towards the floor. Which graph best shows the velocity of the ball as it falls to the floor?



- **5.2.2.5** Several balls are rolled at different speeds along a benchtop until they fall over the edge towards the floor. Which statement about these balls is correct?
 - (A) All four balls will hit the floor at the same time.
 - (B) The slowest ball will hit the floor first: the fastest will hit it last.
 - (C) The fastest ball will hit the floor first; the slowest will hit it last.
 - (D) All balls will land in the same position at the same time.
- **5.2.2.6** Four model rockets are launched with the velocity components shown in the table.
- (a) Which rocket was launched closest to 30° to the horizontal?

(b)	What would be the time of flight of rocket (A)?

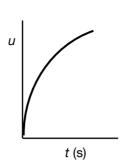
Rocket	Horizontal component of velocity (m s ⁻¹)	Vertical component of velocity (m s ⁻¹)
(A)	20	52
(B)	30	38
(C)	50	29
(D)	40	21

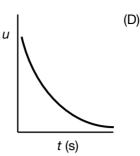
000000

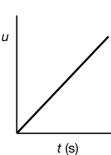
5.2.2.7 Which graph best shows the relationship between the time of flight of a projectile (*t*) and its launch velocity (*u*)?

(C)

(A) (B)





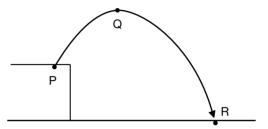


5.2.2.8 A projectile follows the pathway shown in the diagram.

t (s)

Which statement about this projectile is correct?

- (A) The time of flight from P to R is twice the time from P to Q.
- (B) The acceleration of the projectile is independent of its launch velocity.
- (C) The vertical component of the velocity is the same at P, Q and R.
- (D) The horizontal component of the velocity is greatest at Q.



5.2.2.9 A student rolls two balls X and Y, X with mass *m* and Y with mass 2*m* across a benchtop so that they leave the edge at the same time and with the same speed.

Four students made statements about the flight of the two balls.

Jacinta: Y hits the ground before X.

Chin: X and Y hit the ground at the same

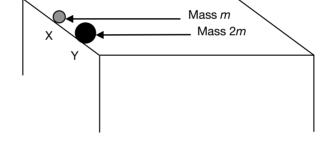
time.

Mario: X hits the ground twice as far away

from the table compared to Y.

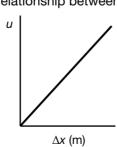
Pasqual: X hits the ground the same distance

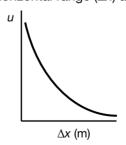
from the table as Y.

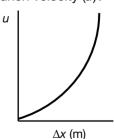


- Whose statement about the two balls is correct?
- (A) Pasqual and Chin.
- (B) Pasqual and Jacinta.
- (C) Mario and Jacinta.
- (D) Mario and Chin.
- **5.2.2.10** Which graph best shows the relationship between the horizontal range (Δx) and launch velocity (u)?

(A) *u*Δ*x* (m)







5.3 Solve problems, create models and make quantitative predictions by applying the equations of motion relationships for uniformly accelerated and constant rectilinear motion. 5.3.1 Solving projectile problems. 5.3.1.1 The diagram shows the apparatus used to do an experiment where a ball is rolled down the ramp from point X, across the benchtop to the edge Y, then allowed to fall onto the floor, landing at point Z. What would the ball do if it was released from point W? Take a shorter time to fall from Y to the floor but land further out from the table. Take the same time to fall from Y to the floor but land further out from the table. Take a shorter time to fall from Y to the floor but still land at Z. (D) Take a longer time to fall from Y to the floor but land further out from the table. Ball X is projected horizontally from a 1.2 m high table at 2.6 m s⁻¹. Ball Y is projected vertically out 5.3.1.2 from the edge of the table at 1.5 m s⁻¹. How much further out from the edge of the table does ball X land compared to Y? Ball X Ball Y A cannonball is fired at 80 m s⁻¹at an angle of 45° to the horizontal. Calculate the height at which the 5.3.1.3 ball hits a vertical cliff 150 m away. 5.3.1.4 A ball is hit into the air at 45 m s⁻¹ 30° to the horizontal. What is its speed 2 s later? A projectile is fired horizontally at 150 m s⁻¹ from the top of a 196 m high cliff. Calculate: 5.3.1.5 (a) Its time of flight. (b) Its range.

(c)

Its velocity on hitting the ground.

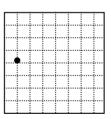
5.3.1.6	A projectile has a time of flight of 7.5 s and a range	e of 1200 m. Calculate:	
(a)	Its horizontal velocity.		
(b)	Its maximum height.		
(c)	The velocity with which it is projected.		
5.3.1.7	The velocity of a projectile 2.0 s after its launch can be found from the vector diagram shown. What was the launch velocity of the projectile?	$v_{h} = 39.2 \text{ m s}^{-1}$	$v_{\nu} = 19.6 \text{ m s}^{-1}$
5.3.1.8 (a)	The diagram shows a stroboscopic photograph of a projectile which has a time of flight of 10.0 s. What was the initial vertical speed of the projectile?	00000	
		Ground	<u> </u>
(b)	Calculate the maximum height of the projectile		
5.3.1.9 (a)	A cannon was fired at an elevation of 40°. It was the again at an elevation of 50°. Which cannonball will rise to the highest height an		
(b)	Which cannonball will have the largest range and h	now much further than the other bal	I does it go?

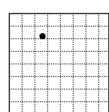
- 5.4 Conduct a practical investigation to collect primary data in order to validate the relationships derived for projectile motion.
- 5.4.1 Analysing projectile data.
- 5.4.1.1 The table shows the results of an experiment where a ball was rolled along a smooth, horizontal surface at 15 m s⁻¹ and then over the edge of a 150 m drop. The ball left the surface and started to fall at time zero.

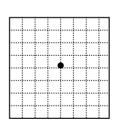
Time (s)	Speed of ball (m s ⁻¹)
1	17.92
2	24.68
3	33.01
4	41.97

Assuming that the horizontal component of the motion of the projectile does not change, show that the vertical component is uniformly accelerated.

5.4.1.2 Some photographs are taken of a ball moving in a parabolic path in front of a grid. The time interval between photographs is identical. The diagrams show the first three photographs of the ball's flight.





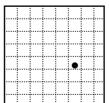




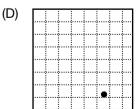
Which choice best shows the next photograph in the series?



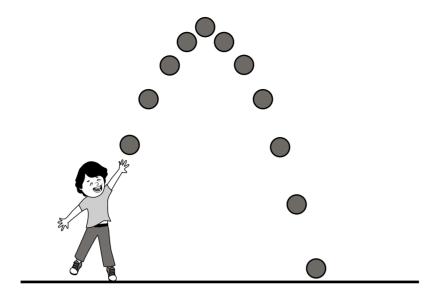








5.4.1.3 The diagram shows a film clip of a ball projected into the air. The camera took the clip at 2.5 frames per second.



What was the time of flight of the ball? What was its initial horizontal velocity? (a) (f) How long did it take to reach its maximum Using a vector diagram, determine its (b) (g) height? initial velocity. (c) What was its initial vertical velocity? (d) How high did it rise? (e) What was its range? From what height was the ball projected? (h)

DOT POINT

Answers



Module 5 Advanced Mechanics

5.1.1.1				5.2.1.5	D	
0.1.1.1		Horizontal component = vector $\cos \theta$	Vertical component = vector $\sin \theta$	5.2.1.6	В	
	(a)	30.6	25.7	5.2.1.7	С	
	(b)	43.3	25.0	5.2.1.8	(a)	Α
	(c)	112.8	41.0		(b)	45°
	(d)	45.1	31.6	5.2.1.9	(a)	В
	(e)	33.8	72.5		(b)	The acceleration of each is the same, equal to
	(f)	49.8	41.8			gravitational acceleration directed downwards. (1:1:1)
	(g)	49.1	34.4	5.2.1.10	D	(1.1.1)
	(h)	20.5	56.4	5.2.1.11	(a)	D
	_				(b)	Positive and negative velocities refer to
5.1.2.1	В					velocities in opposite directions to each other.
5.1.2.2	D					Which one is taken as positive is purely up to the person doing the problem or analysis; there
5.1.2.3 5.1.2.4	C A					is no rule which defines this.
5.1.2.4	C			5.2.2.1	(a)	Α
5.1.2.6	A				(b)	Which statement about the horizontal velocity of
5.1.2.7	Α				_	the projectile is correct?
5.1.2.8	В			5.2.2.2	D	
5.1.2.9	С			5.2.2.3 5.2.2.4	B C	
5.1.2.10	D			5.2.2.4	A	
5.1.3.1	С			5.2.2.6	(a)	С
5.1.3.2	D			3.2.2.0	(a) (b)	5.31 s
5.1.3.3	D			5.2.2.7	B	0.013
5.1.3.4	В			5.2.2.8	В	
5.1.3.5	(a)	Answer will be the same.		5.2.2.9	Α	
	(b) /	Answer will be the same.		5.2.2.10	В	
	()	Answer will be the same.		5.3.1.1	В	
	(-)	Answer will be the same.		5.3.1.2	54.5	5 cm
5.1.4.1	С			5.3.1.3	115	.5 m
5.1.4.2	D C			5.3.1.4	39.1	m s ⁻¹
5.1.4.3 5.1.4.4	A			5.3.1.5	(a)	6.32 s
5.1.4.5	A				(b)	948.7 m
5.1.4.6	C				(c)	162 m s ⁻¹ at 22.5° down from the horizontal
5.2.1.1		ontal component of its mo	otion is constant	5.3.1.6	(a)	160 m s ⁻¹
	veloci	ty (zero acceleration), wh	ile the vertical		(b)	68.9 m
	•	onent is accelerated by g	•	5217	(c)	Up at 164.2 m s ⁻¹ at 12.9° to the horizontal
5.2.1.2		ontal component is 10.35 onent is 38.64 m s ⁻¹ .	m s ⁻¹ , vertical	5.3.1.7 5.3.1.8	33.2 (a)	l m s⁻¹ at 45° to the horizontal 49 m s⁻¹
5.2.1.3			nents of the motion of a	3.3.1.0	(a) (b)	122.5 m
0.2.1.0	Horizontal and vertical components of the motion of a projectile are independent of each other. Horizontal component of its motion is constant velocity (zero acceleration).		5.3.1.9	(a)	The ball fired at an elevation of 50° will rise	
			0.0.110	(a)	higher but without actual figures, we are unable to determine by how much.	
	Vertica	al component is constantly	accelerated (by gravity).		(b)	Neither. They will both have a range of 251.2 m
5.2.1.4	(a) I	В				since the firing angles are complementary.
	ŀ	Taking the upward directing the cause the ball has land aunch point, its final vertiberefore its overall display.	led vertically below its ical displacement, and			

therefore its overall displacement is negative.